

[Top](#)[Previous](#)[Next](#)[Index](#)

Using Temperature Parameters and Equations

Temperature Parameters

The following temperature parameters apply to all MOSFET model levels and the associated bulk-to-drain and bulk-to-source MOSFET diode within the MOSFET model. The temperature equations used for the calculation of temperature effects on the model parameters are selected by the TLEV and TLEVC parameters.

Temperature Effects Parameters

Name (Alias)	Units	Default	Description
BEX		-1.5	Low field mobility, UO, temperature exponent
CTA	1/° K	0.0	Junction capacitance CJ temperature coefficient. Set TLEVC to 1 to enable CTA to override default Star-Hspice temperature compensation.
CTP	1/° K	0.0	Junction sidewall capacitance CJSW temperature coefficient. Set TLEVC to 1 to enable CTP to override default Star-Hspice temperature compensation.
EG	eV		Energy gap for pn junction diode. Set default=1.11, for TLEV=0 or 1 and default=1.16, for TLEV=2. 1.17 - silicon 0.69 - Schottky barrier diode 0.67 - germanium 1.52 - gallium arsenide
F1EX		0	Bulk junction bottom grading coefficient
GAP1	eV/° K	7.02e-4	First bandgap correction factor (from Sze, alpha term) 7.02e-4 - silicon 4.73e-4 - silicon 4.56e-4 - germanium

			5.41e-4 - gallium arsenide
GAP2	° K	1108	Second bandgap correction factor (from Sze, beta term) 1108 - silicon 636 - silicon 210 - germanium 204 - gallium arsenide
LAMEX	1/° K	0	LAMBDA temperature coefficient
N		1.0	Emission coefficient
MJ		0.5	Bulk junction bottom grading coefficient
MJSW		0.33	Bulk junction sidewall grading coefficient
PTA	V/° K	0.0	Junction potential PB temperature coefficient. Set TLEVC to 1 or 2 to enable PTA to override default Star-Hspice temperature compensation.
PTC	V/° K	0.0	Fermi potential PHI temperature coefficient. Set TLEVC to 1 or 2 to enable PTC to override default Star-Hspice temperature compensation.
PTP	V/° K	0.0	Junction potential PHP temperature coefficient. Set TLEVC to 1 or 2 to enable PTP to override default Star-Hspice temperature compensation.
TCV	V/° K	0.0	Threshold voltage temperature coefficient. Typical values are +1mV for n-channel and -1mV for p-channel.
TLEV		0.0	Temperature equation level selector. Set TLEV=1 for ASPEC style - default is SPICE style. When option ASPEC is invoked, the program sets TLEV for ASPEC.
TLEVC		0.0	Temperature equation level selector for junction capacitances and potentials, interacts with TLEV. Set TLEVC=1 for ASPEC style. Default is SPICE style. When option ASPEC is invoked, the program sets TLEVC for ASPEC.

TRD	$1/^\circ\text{K}$	0.0	Temperature coefficient for drain resistor
TRS	$1/^\circ\text{K}$	0.0	Temperature coefficient for source resistor
XTI		0.0	Saturation current temperature exponent. Use XTI=3 for silicon diffused junction. Set XTI=2 for Schottky barrier diode.

Using MOS Temperature Coefficient Sensitivity Parameters

Model levels 13 (BSIM1), 39 (BSIM2), and 28 (METAMOS) have length and width sensitivity parameters associated with them as shown in the following table. These parameters are used in conjunction with the Automatic Model Selector capability and enable more accurate modeling for various device sizes. The default value of each sensitivity parameter is zero to ensure backward compatibility.

Parameter	Description	Sensitivity Parameters		
		Length	Width	Product
BEX	Low field mobility, UO, temperature exponent	LBEX	WBEX	PBEX
FEX	Velocity saturation temperature exponent	LFEX	WFEX	PFEX
TCV	Threshold voltage temperature coefficient	LTCV	WTCV	PTCV
TRS	Temperature coefficient for source resistor	LTRS	WTRS	PTRS
TRD	Temperature coefficient for drain resistor	LTRD	WTRD	PTRD

Using Temperature Equations

This section describes how to use temperature equations.

Calculating Energy Gap Temperature Equations

To determine energy gap for temperature compensation use the equations:

TLEV = 0 or 1:

$$eg_{nom} = 1.16 - 7.02e-4 \cdot \frac{tnom^2}{tnom + 1108.0}$$

$$eg(t) = 1.16 - 7.02e-4 \cdot \frac{t^2}{t + 1108.0}$$

TLEV = 2:

$$eg_{nom} = EG - GAP1 \cdot \frac{tnom^2}{tnom + GAP2}$$

$$eg(t) = EG - GAP1 \cdot \frac{t^2}{t + GAP2}$$

Calculating Saturation Current Temperature Equations

$$isbd(t) = isbd(tnom) \cdot e^{facIn / N}$$

$$isbs(t) = isbs(tnom) \cdot e^{facIn / N}$$

where

$$facIn = \frac{eg_{nom}}{vt(tnom)} - \frac{eg(t)}{vt(t)} + XTI \cdot \ln\left(\frac{t}{tnom}\right)$$

These isbd and isbs are defined in [Using a MOSFET Diode Model](#).

Calculating MOS Diode Capacitance Temperature Equations

TLEVC selects the temperature equation level for MOS diode capacitance.

TLEVC=0:

$$PB(t) = PB \cdot \left(\frac{t}{tnom}\right) - vt(t) \cdot \left[3 \cdot \ln\left(\frac{t}{tnom}\right) + \frac{eg_{nom}}{vt(tnom)} - \frac{eg(t)}{vt(t)}\right]$$

$$PHP(t) = PHP \cdot \left(\frac{t}{tnom}\right) - vt(t) \cdot \left[3 \cdot \ln\left(\frac{t}{tnom}\right) + \frac{eg_{nom}}{vt(tnom)} - \frac{eg(t)}{vt(t)}\right]$$

$$CBD(t) = CBD \cdot \left[1 + MJ \cdot \left(400u \cdot \Delta t - \frac{PB(t)}{PB} + 1\right)\right]$$

$$CBS(t) = CBS \cdot \left[1 + MJ \cdot \left(400u \cdot \Delta t - \frac{PB(t)}{PB} + 1\right)\right]$$

$$CJ(t) = CJ \cdot \left[1 + MJ \cdot \left(400u \cdot \Delta t - \frac{PB(t)}{PB} + 1\right)\right]$$

$$CJSW(t) = CJSW \cdot \left[1 + MJSW \cdot \left(400u \cdot \Delta t - \frac{PHP(t)}{PHP} + 1\right)\right]$$

TLEVC=1:

$$PB(t) = PB - PTA \cdot \Delta t$$

$$PHP(t) = PHP - PTP \cdot \Delta t$$

$$CBD(t) = CBD \cdot (1 + CTA \cdot \Delta t)$$

$$CBS(t) = CBS \cdot (1 + CTA \cdot \Delta t)$$

$$CJ = CJ \cdot (1 + CTA \cdot \Delta t)$$

$$CJSW = CJSW \cdot (1 + CTP \cdot \Delta t)$$

TLEVC=2:

$$PB(t) = PB - PTA \cdot \Delta t$$

$$PHP(t) = PHP - PTP \cdot \Delta t$$

$$CBD(t) = CBD \cdot \left(\frac{PB}{PB(t)} \right)^{MJ}$$

$$CBS(t) = CBS \cdot \left(\frac{PB}{PB(t)} \right)^{MJ}$$

$$CJ(t) = CJ \cdot \left(\frac{PB}{PB(t)} \right)^{MJ}$$

$$CJSW(t) = CJSW \cdot \left(\frac{PHP}{PHP(t)} \right)^{MJSW}$$

TLEVC=3:

$$PB(t) = PB + dpbdt \cdot \Delta t$$

$$PHP(t) = PHP + dphpdt \cdot \Delta t$$

$$CBD(t) = CBD \cdot \left(1 - 0.5 \cdot dpbdt \cdot \frac{\Delta t}{PB} \right)$$

$$CBS(t) = CBS \cdot \left(1 - 0.5 \cdot dpbdt \cdot \frac{\Delta t}{PB} \right)$$

$$CJ(t) = CJ \cdot \left(1 - 0.5 \cdot dpbdt \cdot \frac{\Delta t}{PB} \right)$$

$$CJSW(t) = CJSW \cdot \left(1 - 0.5 \cdot dphpdt \cdot \frac{\Delta t}{PHP} \right)$$

where for TLEV=0 or 1:

$$dpbdt = - \frac{[\epsilon_{gnom} + 3 \cdot \eta(\tau_{nom}) + (116 - \epsilon_{gnom}) \cdot \left(2 - \frac{\tau_{nom}}{\tau_{nom} + 1108} \right) - PB]}{\tau_{nom}}$$

$$dphpdt = - \frac{[\epsilon_{gnom} + 3 \cdot \eta(\tau_{nom}) + (116 - \epsilon_{gnom}) \cdot \left(2 - \frac{\tau_{nom}}{\tau_{nom} + 1108} \right) - PHP]}{\tau_{nom}}$$

TLEV=2:

$$\frac{d\phi_{k\delta t}}{dt} = \frac{\left[\epsilon_{gnom} + 3 \cdot w(tnom) + (EG - \epsilon_{gnom}) \cdot \left(2 - \frac{tnom}{tnom + GAPZ} \right) - PB \right]}{tnom}$$

$$\frac{d\phi_{kp\delta t}}{dt} = \frac{\left[\epsilon_{gnom} + 3 \cdot w(tnom) + (EG - \epsilon_{gnom}) \cdot \left(2 - \frac{tnom}{tnom + GAPZ} \right) - PHP \right]}{tnom}$$

Calculating Surface Potential Temperature Equations

TLEVC=0:

$$PHI(t) = PHI \cdot \left(\frac{t}{tnom} \right) - vt(t) \cdot \left[3 \cdot \ln \left(\frac{t}{tnom} \right) + \frac{egnom}{vt(tnom)} - \frac{eg(t)}{vt(t)} \right]$$

TLEVC=1:

$$PHI(t) = PHI - PTC \cdot \Delta t$$

If the PHI parameter is not specified, it is calculated as:

$$PHI(t) = 2 \cdot vt(t) \cdot \ln \left(\frac{NSUB}{ni} \right)$$

The intrinsic carrier concentration, ni, must be temperature updated, and it is calculated from the silicon bandgap at room temperature.

$$ni = 145e16 \cdot \left(\frac{t}{tnom} \right)^{3/2} \cdot \exp \left[EG \cdot \left(\frac{t}{tnom} - 1 \right) \cdot \left(\frac{1}{2 \cdot vt(t)} \right) \right]$$

TLEVC=2:

$$PHI(t) = PHI - PTC \cdot \Delta t$$

TLEVC=3:

$$PHI(t) = PHI + dphi\delta t \cdot \Delta t$$

where TLEV=0 or 1:

$$\frac{d\phi_{ki\delta t}}{dt} = \frac{\left[\epsilon_{gnom} + 3 \cdot w(tnom) + (116 - \epsilon_{gnom}) \cdot \left(2 - \frac{tnom}{tnom + 1106} \right) - PHI \right]}{tnom}$$

TLEV=2:

$$\frac{d\phi_{ki\delta t}}{dt} = \frac{\left[\epsilon_{gnom} + 3 \cdot w(tnom) + (EG - \epsilon_{gnom}) \cdot \left(2 - \frac{tnom}{tnom + GAPZ} \right) - PHI \right]}{tnom}$$

Calculating Threshold Voltage Temperature Equations

The threshold temperature equations are:

TLEV=0:

$$vbi(t) = vbi(tnom) + \frac{PHI(t) - PHI}{2} + \frac{egnom - eg(t)}{2}$$

$$VTO(t) = vbi(t) + GAMMA \cdot (PHI(t))^{1/2}$$

TLEV=1:

$$VTO(t) = VTO - TCV \cdot \Delta t$$

$$vbi(t) = VTO(t) - GAMMA \cdot (PHI(t))^{1/2}$$

TLEV=2:

$$VTO(t) = VTO + \left(1 + \frac{GAMMA}{2 \cdot PHI^{1/2}}\right) \cdot \phi_{hidt} \cdot \Delta t$$

$$vbi(t) = VTO(t) - GAMMA \cdot (PHI(t))^{1/2}$$

Calculating Mobility Temperature Equations

The MOS mobility temperature equations are:

$$UO(t) = UO \cdot \left(\frac{t}{tnom}\right)^{BEX}$$

$$KP(t) = KP \cdot \left(\frac{t}{tnom}\right)^{BEX}$$

$$F1(t) = F1 \cdot \left(\frac{t}{tnom}\right)^{FLEX}$$

Calculating Channel Length Modulation Temperature Equation

The LAMBDA is modified with temperature if model parameter LAMEX is specified.

$$LAMBDA(t) = LAMBDA \cdot (1 + LAMEX \cdot \Delta t)$$

Calculating Diode Resistance Temperature Equations

The following equation is an example of effective drain and source resistance:

$$RD(t) = RS \cdot (1 + TRD \cdot \Delta t)$$

$$RS(t) = RS \cdot (1 + TRS \cdot \Delta t)$$

Star-Hspice Manual - Release 2001.2 - June 2001

[Top](#) [Previous](#) [Next](#) [Index](#)